Resolving Concurrency in Group Ratcheting Protocols

IACR RWC 2021

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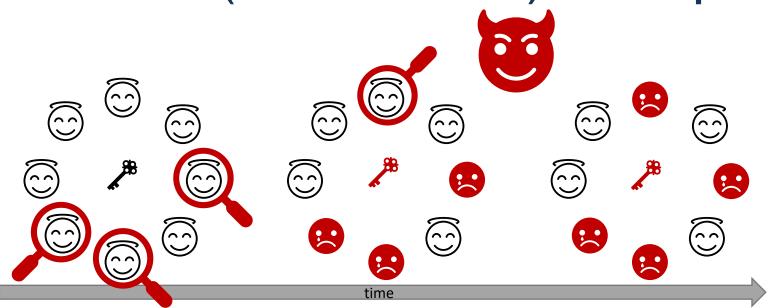


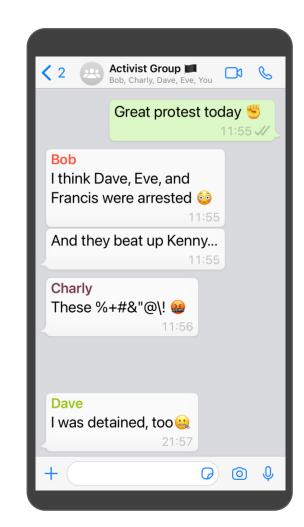






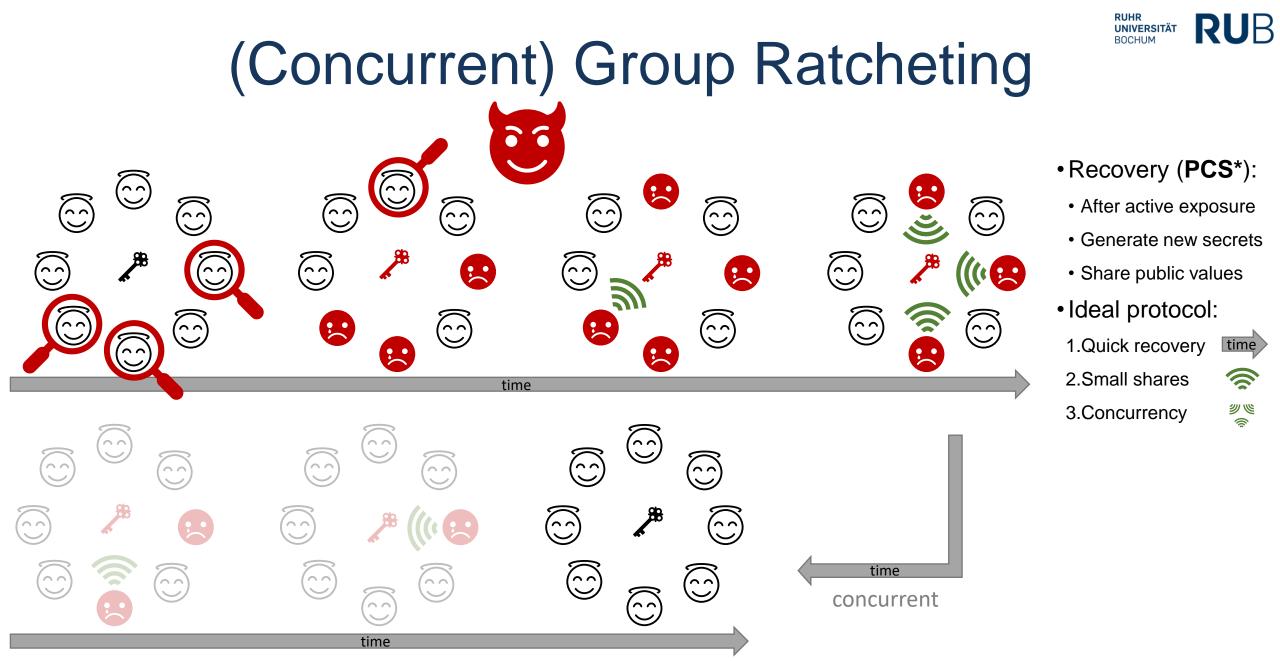
(Concurrent) Group Ratcheting





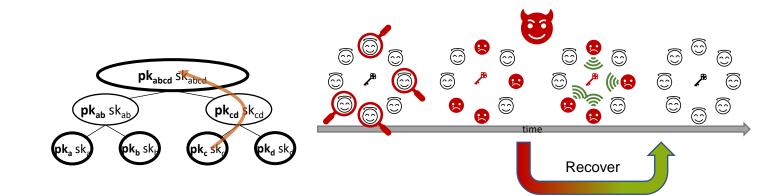
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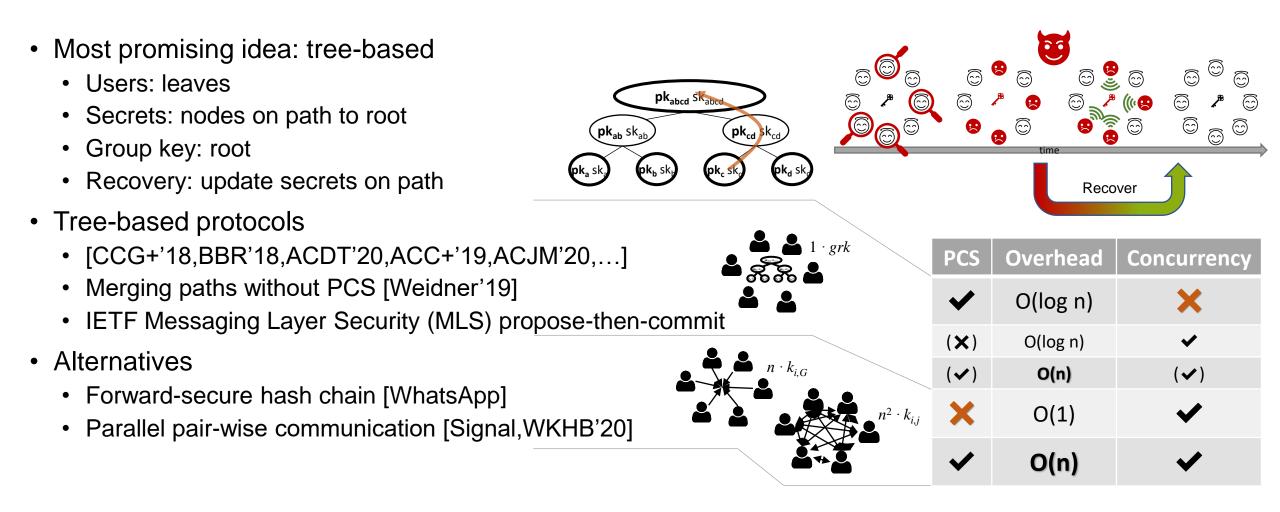
- Most promising idea: tree-based
 - Users: leaves
 - Secrets: nodes on path to root
 - Group key: root
 - Recovery: update secrets on path



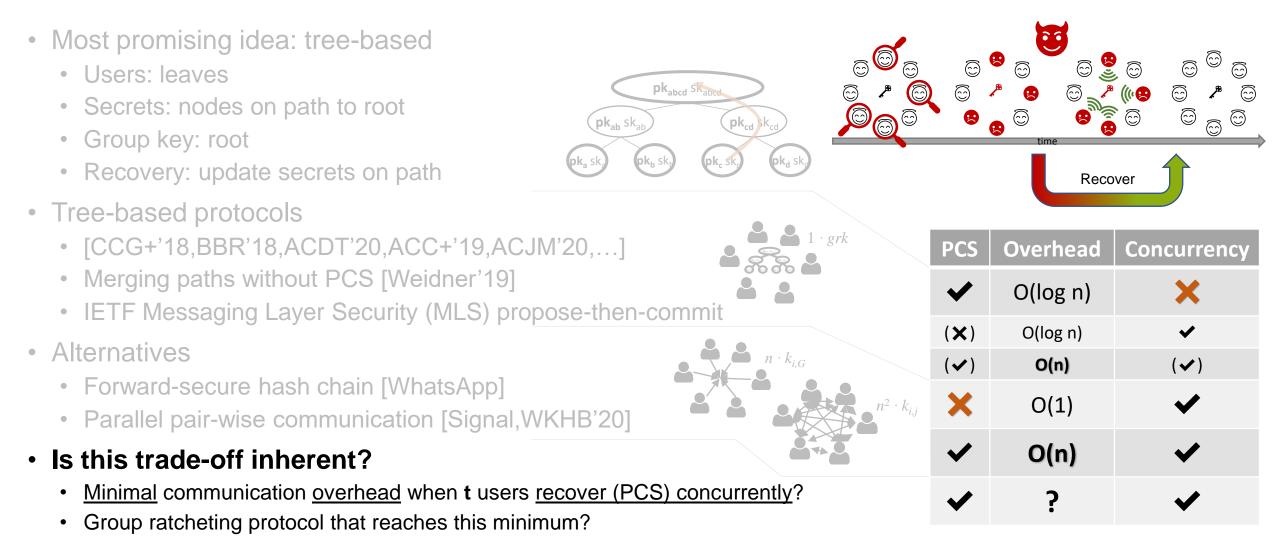


 Most promising idea: tree-based 0 • Users: leaves pkabcd Skaped 6 Secrets: nodes on path to root **pk_{cd}sk pk_{ab}** sk_a Group key: root • pk_d sk pk_a sł Recovery: update secrets on path Recover Tree-based protocols l · grk [CCG+'18,BBR'18,ACDT'20,ACC+'19,ACJM'20,...] **Overhead PCS** Concurrency O(log n) Х









Bienstock, Dodis, Rösler: On the Price of Concurrency in Group Ratcheting Protocols, TCC '20 \rightarrow RWC '21

Our Results*: t-Concurrency

Theoretically Minimal Overhead: Ω(t)

Round-based, Symbolic model

- Full asynchrony \Rightarrow worse overhead
- Fixed computation rules, no bit representation
- Models building blocks covering all tools used so far → Dual PRFs, Broadcast encryption, HIBE, ...
- Excludes exotic tools (e.g., multi-party NIKE)

We prove for any protocol in this model ...

- ... combining these building blocks arbitrarily ...
- ... to handle t concurrent recoveries ...
- ... every recovery message contains $\Omega(t)$ distinct shares
- Proof idea: Each user must reply individually to last round's shares
 - \rightarrow Preparation useless

Protocol: O(t+t·log(n/t))





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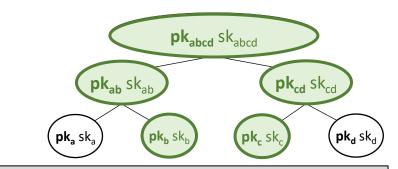
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Protocol: O(t+t·log(n/t))

- 1. Users only heal their leaf secret when sending (not full path) $\rightarrow O(t)$
- 2. ... and help previous senders by healing remaining path secrets → O(log(n/t)) per sender in last round

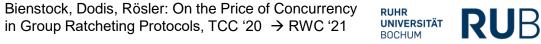
Concurrent recovery \checkmark



Yes, this trade-off is inherent (lower bound), but not as bad as it seemed (upper bound).









MLS: Success and Open Problems

- Great support from industry
- Pushed academic research
- Scalable performance with reasonable security

Propose-then-commit recovery:

- Reveals meta data
 - → Type and context of messages (direct vs. group; which group)
 → Coordination (propose vs. commit for recovery)
- Server coordinates recovery
 - \rightarrow Federated settings

Our solutions:

- Hides meta data
 - → All messages look identical (except for size → use padding)
 → No active coordination (only round scheduling)
- Steps towards avoiding central services → Active coordination to round scheduling

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R. Barnes Cisco B. Beurdouche Inria J. Millican Facebook E. Omara Google K. Cohn-Gordon University of Oxford R. Robert Wire December 22, 2020

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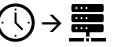
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Remaining questions:

- Equip our protocol with practical features (dynamic groups, malicious insiders, etc.)
- Only rely on message delivery (= no central service needed)



 Determine further fundamental limits of group ratcheting

PCS	Overhead (t-concurrency)	Concurrency
~	O(log n)	×
~	O(n)	✓
✓	$\Omega(t) < x < O(t+t \cdot \log(n/t))$	~

@roeslpa

Full details & formal proofs: <u>ia.cr/2020/1171</u>