Generalization and Modularization of the ACCE Model

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Horst Görtz Institute for IT Security Chair for Network and Data Security

Benjamin Dowling, Paul Rösler, Jörg Schwenk

RUB





Agenda

- Key Exchange + Channel = ?
- Generalization of ACCE
- Modularization of ACCE
- Application to Noise



- Key exchange then symmetric protocol
 - Brzuska et al.: Composability of Bellare-Rogaway Key Exchange Protocols CCS11





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- Channel establishment
 - Jager et al.: On the Security of TLS-DHE in the Standard Model C12





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- Key exchange and symmetric protocol
 - Fischlin, Günther: Multi-Stage Key Exchange and the Case of Google's QUIC Protocol CCS14





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Authentication more modular



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keys...?!



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- What is so new about it?





Generic and Modular ACCE

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 - Generic model (i.e., independent of analyzed protocol)





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 - Channel security under key usage in KE, full modularity for security properties





Generic and Modular ACCE

- What is so new about it?
 - Generic model (i.e., independent of analyzed protocol)
 - Channel security under key usage in KE, full modularity for security properties
 - Allows to analyze protocols as they are
 - Signal*
 - Noise
 - \rightarrow Wireguard

* Composition of X3DH and DRAIg?





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- ACCE modeled with TLS 1.2 in mind
- QACCE modeled with QUIC in mind
- ACCE is an own primitive





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 - First ping-pong, then concurrency not mandatory (e.g., channel per stage bidirectional)



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 - Initiator = client, responder = server, unilateral authentication = server authentication?



Generalization of ACCE

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 $\begin{array}{ll} \mathrm{KGen} \to_{\$} (sk, pk) & \mathrm{Enc}(sk, st, m, ad) \to_{\$} (st, c) \\ \mathrm{Init}(sk, pk, ad) \to_{\$} st & \mathrm{Dec}(sk, st, c, ad) \to (st, m) \end{array}$

 \boldsymbol{c} contains whole transcript



- Generically:
 - No distinct key (e.g., suppose asymmetric PKE channels)
 - No pre-/post accept phase (see e.g., QUIC, TLS 1.3, Noise)
 - First ping-pong, then concurrency not mandatory (e.g., channel per stage bidirectional)
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 - Authentication
 - KCI resistance





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 - KCI resistance
 - Forward secrecy
 - Resistance against replay attacks





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- Properties can be reached...
 - ... for each party separately



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 - KCI resistance
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 - We keep channel simple (i.e., stAE)
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 - ... for each party separately
 - ... at different stages during the protocol execution (via round trips [RTs])





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- Round trips:





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 - Interaction between parties
 - Denote epochs in communication





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 - Usual in KE, ratcheting (see Signal, Bertram's talk)





- Properties can be reached...
 - ... for each party separately
 - ... at different *stages* during the protocol execution (via RTs)
- Round trips:
 - Interaction between parties
 - Denote epochs in communication
 - No keys to defines stages (as in MS-KE)
 - Usual in KE, ratcheting (see Signal, Bertram's talk)
- Further extension within RTs
 - Too complex for the use-case here




- Properties can be reached...
 - ... for each party separately
 - ... at different *stages* during the protocol execution (via RTs)
- For each party separately:





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 - ... at different *stages* during the protocol execution (via RTs)
- For each party separately:
 - Authentication A-to-B with message A-to-B





- Properties can be reached...
 - ... for each party separately
 - ... at different *stages* during the protocol execution (via RTs)
- For each party separately:
 - Authentication *A-to-B* with message *A-to-B*
 - E.g. resistance against weak randomness not direction-dependent





Modularization of ACCE

- Properties can be reached...
 - ... for each party separately
 - ... at different *stages* during the protocol execution (via RTs)
- For each party separately:
 - Authentication A-to-B with message A-to-B
 - E.g. resistance against weak randomness not direction-dependent
- 5*2+1 counters index our security definition:

auⁱ, au^r, kcⁱ, kc^r, fsⁱ, fs^r, rpⁱ, rp^r, orⁱ, or^r, eck $\in \{0, 0.5, 1, 1.5, ..., \infty\}$





Modularization of ACCE

- Properties can be reached...
 - ... for each party separately
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- Adversary has to guess a challenge bit
 - Enc and Dec embed challenges (stAE)





- Adversary has to guess a challenge bit
 - Enc and Dec embed challenges (stAE)
 - Adversarial behavior leaks bits of some RTs, but some must stay secure
 - \rightarrow Challenge bits for each RT





- Adversary can
 - Actively attack sessions
 - Corrupt parties
 - Reveal session randomness





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 - Reveal session states
 - There are no keys anymore (by syntax)





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 - What does **independence of sessions** mean in protocols of *long* duration (idea of Reveal in BR93)?





- Adversary can
 - Actively attack sessions
 - Corrupt parties
 - Reveal session randomness
 - Reveal session states
 - There are no keys anymore (by syntax)
 - What does **independence of sessions** mean in protocols of *long* duration (idea of Reveal in BR93)?
 - What are the effects of **replay attacks** w.r.t. session independence?





- Resistance against replay attacks
 - Within session modeled by stateful AE





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 - Within session modeled by stateful AE
 - Inter session: Impact of state Reveal

- Not only dependents on symmetric key
- Also on ephemeral asymmetric secrets





- Resistance against replay attacks
 - Within session modeled by stateful AE
 - Inter session: Impact of state Reveal
 - rpⁱ, rp^r denote RT after which revealed state cannot be used to reestablish session
- Not only dependents on symmetric key
- Also on ephemeral asymmetric secrets



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- Protocol framework for channel establishment
 - using DH group, AEAD, hash function, KDF
 - for different scenarios (15 patterns):

NN():	KN(s):
-> e	-> S
<- e, ee	
	-> e
	<- e, ee, se
NK(rs):	KK(s, rs):
<- 5	-> 5
	<- 5
-> 0. 05	
<- 0 00	
NY (rc)	KY(s rs):
-2 6	-2 3
<- e, ee, s, es	
	-> e
	<- e, ee, se, s, es
VN (-) -	
XN(S):	IN(S):
-> e	-> e, s
<- e, ee	<- e, ee, se
-> s, se	
XK(s, rs):	IK(s, rs):
<- S	<- S
-> e, es	-> e, es, s, ss
<- e, ee	<- e, ee, se
-> s, se	
XX(s, rs):	IX(s, rs):
-> e	-> e, s
<- e, ee, s, es	<- e, ee, se, s, es
-> s, se	



 Protocol framework for channel establishment using DH group, AEAD, hash function, KDF
 for different scenarios (15 patterns):
 Who knows whom a priori?
 Who should authenticate?
 How fast should messages be transmitted?
 Which further properties shall be reached (forward secrecy, identity hiding,)?

NN():	KN(s):
-> e	-> S
<- e, ee	
	-> e
	<- e, ee, se
NK(rs):	KK(s, rs):
<- S	-> S
	<- S
-> e, es	
<- e, ee	-> e, es, ss
	<- e, ee, se
NX(rs):	KX(s, rs):
-> e	-> s
<- e, ee, s, es	
-,, -,	-> e
	<- e, ee, se, s, es
XN(s):	IN(s):
-> e	-> e. s
<- 0. 00	<- e. ee. se
-> s, se	
XK(c rc).	TK(s rs):
<- 5	IN(3, 13).
~ 3	<- 5
-> e, es	-> e, es, s, ss
	<u> </u>
-> 5, 50	
XX(s, rs):	IX(s, rs):
-> e	-> e, s
<- e, ee, s, es	<- e, ee, se, s, es
-> s, se	· · · ·



 Protocol framework for channel establishment 	NN(): -> e	KN(s): -> s
 using DH group, AEAD, hash function, KDF 		-> e <- e, ee, se
 for different scenarios (15 patterns): 	NK(rs): <- s	KK(s, rs): -> s <- s
 implemented in Java, C, Haskell, Python, Javascript, 	-> e, es <- e, ee	-> e, es, ss <- e, ee, se
 used in WhatsApp, Wireguard, Slack, for homogenous networks (i.e., all parties are configured equally) 	NX(rs): -> e <- e, ee, s, es	KX(s, rs): -> s -> e <- e, ee, se, s, es
(i.e., all parties are conliguide equally)	XN(s): -> e <- e, ee -> s, se	IN(s): -> e, s <- e, ee, se
	XK(s, rs): <- s	IK(s, rs): <- s
	-> e, es <- e, ee -> s, se	-> e, es, s, ss <- e, ee, se
	XX(s, rs): -> e <- e, ee, s, es -> s, se	IX(s, rs): -> e, s <- e, ee, se, s, es



 Protocol framework for channel establishment 	NN(): -> e <- e, ee	KN(s): -> s
 using DH group, AEAD, hash function, KDF 		-> e <- e, ee, se
 for different scenarios (15 patterns): 	NK(rs): <- s	KK(s, rs): -> s
 implemented in Java, C, Haskell, Python, Javascript, . 	-> e, es <- e, ee	-> e, es, ss
 used in WhatsApp, Wireguard, Slack, … 	NX(rs):	KX(s, rs):
 for homogenous networks (i.e., all parties are configured equally) 	<- e, ee, s, es	-> s -> e <- e, ee, se, s, es
(i.e., all parties are configured equally)	XN(s): -> e	IN(s): -> e, s
	<- e, ee -> s, se	<- e, ee, se
 Security claimed but not proven yet 	XK(s, rs): <- s	IK(s, rs): <- s
 Concurrent work by Nadim Kobeissi (noiseexplorer com) using ProVerif 	-> e, es <- e, ee -> s, se	 -> e, es, s, ss <- e, ee, se
	XX(s, rs): -> e <- e, ee, s, es -> s, se	IX(s, rs): -> e, s <- e, ee, se, s, es

Application to Noise Generalization of ACCE Modularization of ACCE Application to Noise

KE + Channel = ?



Application to Noise

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Generalization of ACCE Modularization of ACCE • Application to Noise



Application to Noise Generalization of ACCE Modularization of ACCE

KE + Channel = ?

\mathbf{A}		\mathbf{B}	
g (only in $xx.)(g$, $x)$		(g , b)	N NK XK
Protocol initialization $h \leftarrow H(Noise_name)$ $ck \leftarrow h; n \leftarrow 0$ $h \leftarrow H(h \parallel ad)$ $h \leftarrow H(h \parallel g^B)$		_"_	
$a \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow H(h g^a)$ (ck, k_0) \leftarrow KDF(ck, g^{aB}) $c_0 \leftarrow_{\$} Enc(k_0, n, h, m_0)$ $h \leftarrow H(h c_0)$		_"_	
	$\xrightarrow{g^a, c_0}$	End of N-Handshake	
"		$b \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow H(h g^b)$ (ck, k ₁) $\leftarrow KDF(ck, g^{ab})$ c ₁ $\leftarrow_{\$} Enc(k_1, n, h, m_1)$ h $\leftarrow H(h c_1)$	
End of NK-Handshake	$\underbrace{g^b, c_1}$		
Channel initialization	·	Channel initialization	
$(k_s, k_r) \leftarrow \text{KDF}(ck, \epsilon, 2)$		$(k_r, k_s) \leftarrow \text{KDF}(ck, \epsilon, 2)$	
$n_s \leftarrow 0; n_r \leftarrow 0$		$n_s \leftarrow 0; n_r \leftarrow 0$	
Start of Channel		Start of Channel	
$C_0 \leftarrow_{\$} \operatorname{Enc}(k_s, n_s, h, M_0)$			
<i>n</i> _s ++	$\xrightarrow{C_0}$	_"_	

Application to Noise Generalization of ACCE Modularization of ACCE

KE + Channel = ?

\mathbf{A}		\mathbf{B}	
g^{D} (only in XK:)(g^{A} , A)		(g^B, B)	N NK XK
Protocol initialization $h \leftarrow H(Noise_name)$ $ck \leftarrow h; n \leftarrow 0$ $h \leftarrow H(h ad)$ $h \leftarrow H(h g^B)$		_"_	
$a \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow H(h g^a)$ (ck, k_0) \leftarrow KDF(ck, g^{aB}) $c_0 \leftarrow_{\$} Enc(k_0, n, h, m_0)$ h \leftarrow H(h c_0)		_"_	
"	$\xrightarrow{g^a, c_0}$	End of N-Handshake $b \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow H(h g^b)$ $(ck, k_1) \leftarrow KDF(ck, g^{ab})$ $c_1 \leftarrow_{\$} Enc(k_1, n, h, m_1)$ $h \leftarrow H(h c_1)$	
End of NK-Handshake Channel initialization	$\overleftarrow{g^b, c_1}$	Channel initialization	
$(k_s, k_r) \leftarrow \text{KDF}(ck, \epsilon, 2)$		$(k_r, k_s) \leftarrow \text{KDF}(ck, \epsilon, 2)$	
$n_s \leftarrow 0; n_r \leftarrow 0$		$n_s \leftarrow 0; n_r \leftarrow 0$	
Start of Channel		Start of Channel	
$C_0 \leftarrow_{\$} \operatorname{Enc}(k_s, n_s, h, M_0)$ $n_s + +$	$\xrightarrow{C_0}$	_"_	

Α		В	
g^B (only in XK:)(g^A , A)		(g^B, B)	
Protocol initialization $h \leftarrow H(Noise_name)$ $ck \leftarrow h; n \leftarrow 0$ $h \leftarrow H(h \parallel ad)$ $h \leftarrow H(h \parallel g^B)$		_"_	
$a \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow \mathcal{H}(h g^a)$ (ck, k_0) \leftarrow KDF(ck, g^{aB}) c_0 \leftarrow_{\\$} \operatorname{Enc}(k_0, n, h, m_0) h \leftarrow H(h c_0)		_"_	
	g^a, c_0	End of N-Handshake	
"		$b \leftarrow_{\$} \mathbb{Z}_{p}; h \leftarrow H(h g^{b})$ (ck, k ₁) $\leftarrow KDF(ck, g^{ab})$ c ₁ $\leftarrow_{\$} Enc(k_{1}, n, h, m_{1})$ h $\leftarrow H(h c_{1})$	
Fnd of NK-Handshake	g^b, c_1		
$c_{2} \leftarrow_{\$} \operatorname{Enc}(k_{1}, n, h, g^{A})$ $h \leftarrow \operatorname{H}(h \mid\mid c_{2})$ $(ck, k_{2}) \leftarrow \operatorname{KDF}(ck, g^{Ab})$ $c_{3} \leftarrow_{\$} \operatorname{Enc}(k_{2}, n, h, m_{0})$ $h \leftarrow \operatorname{H}(h \mid\mid c_{3})$		_"_	
	$\xrightarrow{c_2, c_3}$	End of XK-Handshake	
Channel initialization $(k_s, k_r) \leftarrow \text{KDF}(ck, \epsilon, 2)$ $n_s \leftarrow 0; n_r \leftarrow 0$ Start of Channel $C_0 \leftarrow \epsilon \text{Enc}(k_s, n_s, h, M_0)$		Channel initialization $(k_r, k_s) \leftarrow \text{KDF}(ck, \epsilon, 2)$ $n_s \leftarrow 0; n_r \leftarrow 0$ Start of Channel	
$n_s + +$	$\xrightarrow{C_0}$	_"_	

Α		В	
q^B (only in XK:) (q^A, A)		(q^B, B)	
		-	N NK XK
Protocol initialization $h \leftarrow H(Noise name)$			
$ck \leftarrow h: n \leftarrow 0$		_"_	
$h \leftarrow H(h \parallel ad)$			
$h \leftarrow H(h \parallel g^B)$			
$a \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow \mathrm{H}(h g^a)$			
$(ck, k_0) \leftarrow \text{KDF}(ck, g^{aB})$		_"_	
$c_0 \leftarrow_{\$} \operatorname{Enc}(k_0, n, h, m_0)$			
$h \leftarrow \mathrm{H}(h \parallel c_0)$	a		
	$\xrightarrow{g^u, c_0}$	End of N-Handshake	
		$b \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow \mathrm{H}(h g^b)$	
"		$(ck, k_1) \leftarrow \text{KDF}(ck, g^{ab})$	
		$c_1 \leftarrow_{\$} \operatorname{Enc}(k_1, n, h, m_1)$	
	1	$h \leftarrow \mathrm{H}(h c_1)$	
End of NK-Handshake	g^{b}, c_{1}		
$c_2 \leftarrow_{\$} \operatorname{Enc}(k_1, n, h, q^A)$	`		
$h \leftarrow \mathrm{H}(h \parallel c_2)$			
$(ck, k_2) \leftarrow \text{KDF}(ck, g^{Ab})$		_"_	
$c_3 \leftarrow_{\$} \operatorname{Enc}(k_2, n, h, m_0)$			
$h \leftarrow \mathrm{H}(h \parallel c_3)$			
	$\xrightarrow{c_2, c_3}$	End of XK-Handshake	
Channel initialization		Channel initialization	
$(k_s, k_r) \leftarrow \text{KDF}(ck, \epsilon, 2)$		$(k_r, k_s) \leftarrow \text{KDF}(ck, \epsilon, 2)$	
$n_s \leftarrow 0; n_r \leftarrow 0$		$n_s \leftarrow 0; n_r \leftarrow 0$	
Start of Channel		Start of Channel	
$C_0 \leftarrow_{\$} \operatorname{Enc}(\kappa_s, n_s, n, M_0)$	Co		
<i>n</i> _s ++	$\xrightarrow{\sim_0}$	_"_	



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance

The authentication properties are:

- 0. **No authentication.** This payload may have been sent by any party, including an active attacker.
- 1. Sender authentication *vulnerable* to key-compromise impersonation (KCI). The sender authentication is based on a static-static DH ("ss") involving both parties' static key pairs. If the recipient's long-term private key has been compromised, this authentication can be forged. Note that a future version of Noise might include signatures, which could improve this security property, but brings other trade-offs.
- 2. Sender authentication *resistant* to key-compromise impersonation (KCI). The sender authentication is based on an ephemeral-static DH ("es" or "se") between the sender's static key pair and the recipient's ephemeral key pair. Assuming the corresponding private keys are secure, this authentication cannot be forged.



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance
 - Confidentiality + Forward secrecy
 + Resistance against replay attacks

The confidentiality properties are:

- 0. No confidentiality. This payload is sent in cleartext.
- Encryption to an ephemeral recipient. This payload has forward secrecy, since encryption involves an ephemeral-ephemeral DH ("ee"). However, the sender has not authenticated the recipient, so this payload might be sent to any party, including an active attacker.
- 2. Encryption to a known recipient, forward secrecy for sender compromise only, vulnerable to replay. This payload is encrypted based only on DHs involving the recipient's static key pair. If the recipient's static private key is compromised, even at a later date, this payload can be decrypted. This message can also be replayed, since there's no ephemeral contribution from the recipient.
- 3. Encryption to a known recipient, weak forward secrecy. This payload is encrypted based on an ephemeral-ephemeral DH and also an ephemeral-static DH involving the recipient's static key pair. However, the binding between the recipient's alleged ephemeral public key and the recipient's static public key hasn't been verified by the sender, so the recipient's alleged ephemeral public key may have been forged by an active attacker. In this case, the attacker could later compromise the recipient's static private key to decrypt the payload. Note that a future version of Noise might include signatures, which could improve this security property, but brings other trade-offs.
- 4. Encryption to a known recipient, weak forward secrecy if the sender's private key has been compromised. This payload is encrypted based on an ephemeral-ephemeral DH, and also based on an ephemeral-static DH involving the recipient's static key pair. However, the binding between the recipient's alleged ephemeral public and the recipient's static public key has only been verified based on DHs involving both those public keys and the sender's static private key. Thus, if the sender's static private key was previously compromised, the recipient's alleged ephemeral public key may have been forged by an active attacker. In this case, the attacker could later compromise the intended recipient's static private key to decrypt the payload (this is a variant of a "KCI" attack enabling a "weak forward secrecy" attack). Note that a future version of Noise might include signatures, which could improve this security property, but brings other trade-offs.
- 5. Encryption to a known recipient, strong forward secrecy. This payload is encrypted based on an ephemeral-ephemeral DH as well as an ephemeral-static DH with the recipient's static key pair. Assuming the ephemeral private keys are secure, and the recipient is not being actively impersonated by an attacker that has stolen its static private key, this payload cannot be decrypted.

The authentication properties are:

- 0. **No authentication.** This payload may have been sent by any party, including an active attacker.
- 1. Sender authentication *vulnerable* to key-compromise impersonation (KCI). The sender authentication is based on a static-static DH ("ss") involving both parties' static key pairs. If the recipient's long-term private key has been compromised, this authentication can be forged. Note that a future version of Noise might include signatures, which could improve this security property, but brings other trade-offs.
- 2. Sender authentication *resistant* to key-compromise impersonation (KCI). The sender authentication is based on an ephemeral-static DH ("es" or "se") between the sender's static key pair and the recipient's ephemeral key pair. Assuming the corresponding private keys are secure, this authentication cannot be forged.



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance
 - Confidentiality + Forward secrecy
 + Resistance against replay attacks

The confidentiality properties are:

0. No confidentiality. This payload is sent in cleartext.

- 1. Encryption to an ephemeral recipient. This payload has forward secrecy, since encryption involves an ephemeral-ephemeral DH ("ee"). However, the sender has not authenticated the recipient, so this payload might be sent to any party, including an active attacker.
- 2. Encryption to a known recipient, forward secrecy for sender compromise only, vulnerable to replay. This payload is encrypted based only on DHs involving the recipient's static key pair. If the recipient's static private key is compromised, even at a later date, this payload can be decrypted. This message can also be replayed, since there's no ephemeral contribution from the recipient.
- 3. Encryption to a known recipient, weak forward secrecy. This payload is encrypted based on an ephemeral-ephemeral DH and also an ephemeral-static DH involving the recipient's static key pair. However, the binding between the recipient's alleged ephemeral public key and the recipient's static public key hasn't been verified by the sender, so the recipient's alleged ephemeral public key may have been forged by an active attacker. In this case, the attacker could later compromise the recipient's static private key to decrypt the payload. Note that a future version of Noise might include signatures, which could improve this security property, but brings other trade-offs.
- 4. Encryption to a known recipient, weak forward secrecy if the sender's private key has been compromised. This payload is encrypted based on an ephemeral-ephemeral DH, and also based on an ephemeral-static DH involving the recipient's static key pair. However, the binding between the recipient's alleged ephemeral public and the recipient's static public key has only been verified based on DHs involving both those public keys and the sender's static private key. Thus, if the sender's static private key was previously compromised, the recipient's alleged ephemeral public key may have been forged by an active attacker. In this case, the attacker could later compromise the intended recipient's static private key to decrypt the payload (this is a variant of a "KCI" attack enabling a "weak forward secrecy" attack). Note that a future version of Noise might include signatures, which could improve this security property, but brings other trade-offs.
- 5. Encryption to a known recipient, strong forward secrecy. This payload is encrypted based on an ephemeral-ephemeral DH as well as an ephemeral-static DH with the recipient's static key pair. Assuming the ephemeral private keys are secure, and the recipient is not being actively impersonated by an attacker that has stolen its static private key, this payload cannot be decrypted.

The authentication properties are:

- 0. **No authentication.** This payload may have been sent by any party, including an active attacker.
- 1. Sender authentication *vulnerable* to key-compromise impersonation (KCI). The sender authentication is based on a static-static DH ("ss") involving both parties' static key pairs. If the recipient's long-term private key has been compromised, this authentication can be forged. Note that a future version of Noise might include signatures, which could improve this security property, but brings other trade-offs.
- 2. Sender authentication *resistant* to key-compromise impersonation (KCI). The sender authentication is based on an ephemeral-static DH ("es" or "se") between the sender's static key pair and the recipient's ephemeral key pair. Assuming the corresponding private keys are secure, this authentication cannot be forged.

	Authentication	Confidentiality	XX -> e	8	0
Ν	0	2	-> s, se <-	2 2	5
к	1	2	KN -> s		
Х	1	2	-> e <- e, ee, se	0 0 2	0 3
NN -> e	0	0	<-	ē	5
<- e, ee ->	0	1 1	KK -> s <- s		
NK <- s			-> e, es, ss <- e, ee, se -> <-	1 2 2 2	2 4 5 5
-> e, es <- e, ee ->	0 2 0	2 1 5	KX -> s		
NX			<- e, ee, se, s, es	2	3 5
-> e <- e, ee, s, es ->	0 2 0	0 1 5	IN -> e, s	8	0
XN	0	0	<- e, ee, se -> <-	8 2 8	3 1 5
-> e <- e, ee -> s, se <-	0 2 0	1 1 5	IK <- s -> e, es, s, ss	1	2
XK <- s			<- e, ee, se -> <-	2 2 2	4 5 5
	0 2 2 2	2 1 5 5	IX -> e, s <- e, ee, se, s, es -> <-	8 2 2 2	⁸ 5 64

Generalization and Modularization of the ACCE Model SKECH Workshop | Paul Rösler | Bertinoro | 2018-07-11



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance
 - Confidentiality + Forward secrecy
 - + Resistance against replay attacks

	au ⁱ	au ^r	kc ⁱ	kc ^r	fs ⁱ	fs ^r	rp ⁱ	rp ^r	or ⁱ	or ^r	eck
N*	∞	∞	∞	∞	0	∞	∞	∞	∞	0	∞
Χ*	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞
К	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞
NN^*	∞	∞	∞	∞	0	0	1	0	∞	∞	∞
NK*	∞	1	∞	1	0	1	1	1	∞	0	∞
NX^*	∞	1	∞	1	0	0	1	0	∞	1	∞
XN^*	1.5	∞	1.5	∞	0	0	1	0	1.5	∞	∞
XK^*	1.5	1	1.5	1	0	1	1	1	1.5	0	∞
XX^*	1.5	1	1.5	1	0	0	1	0	1.5	2	∞
KN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞
KK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5
КΧ	1.5	1	1.5	1	0	0	1	0	1	1	∞
IN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞
IK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5
IX	1.5	1	1.5	1	0	0	1	0	1	1	∞



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance
 - Confidentiality + Forward secrecy
 - + Resistance against replay attacks

	au ⁱ	au ^r	kc ⁱ	kc ^r	fs ⁱ	fs ^r	rp ⁱ	rp ^r	or ⁱ	or ^r	eck
N*	∞	∞	∞	∞	0	∞	∞	∞	∞	0	∞
Χ*	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞
К	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞
NN^*	∞	∞	∞	∞	0	0	1	0	∞	∞	∞
NK^*	∞	1	∞	1	0	1	1	1	∞	0	∞
NX^*	∞	1	∞	1	0	0	1	0	∞	1	∞
XN^*	1.5	∞	1.5	∞	0	0	1	0	1.5	∞	∞
XK^*	1.5	1	1.5	1	0	1	1	1	1.5	0	∞
XX^*	1.5	1	1.5	1	0	0	1	0	1.5	2	∞
KN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞
KK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5
КΧ	1.5	1	1.5	1	0	0	1	0	1	1	∞
IN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞
ΙK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5
IX	1.5	1	1.5	1	0	0	1	0	1	1	∞



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance
 - Confidentiality + Forward secrecy
 - + Resistance against replay attacks

]					
	au ⁱ	au ^r	kc ⁱ	kc ^r	fs ⁱ	fs ^r	rp ⁱ	rp ^r	or ⁱ	or ^r	eck	
N^*	∞	∞	∞	∞	0	∞	∞	∞	∞	0	∞	
Χ*	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞	
К	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞	
NN^*	∞	∞	∞	∞	0	0	1	0	∞	∞	∞	
NK^*	∞	1	∞	1	0	1	1	1	∞	0	∞	
NX^*	∞	1	∞	1	0	0	1	0	∞	1	∞	
XN^*	1.5	∞	1.5	∞	0	0	1	0	1.5	∞	∞	
XK^*	1.5	1	1.5	1	0	1	1	1	1.5	0	∞	
XX^*	1.5	1	1.5	1	0	0	1	0	1.5	2	∞	
KN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞	
KK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5	
КΧ	1.5	1	1.5	1	0	0	1	0	1	1	∞	
IN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞	
ΙK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5	
IX	1.5	1	1.5	1	0	0	1	0	1	1	∞	



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance
 - Confidentiality + Forward secrecy
 - + Resistance against replay attacks

	au ⁱ	au ^r	kc ⁱ	kc ^r	fs ⁱ	fs ^r	rp ⁱ	rp ^r	or ⁱ	or ^r	eck		
N*	∞	∞	∞	∞	0	∞	∞	∞	∞	0	∞		
Χ*	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞		
К	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞		
NN^*	∞	∞	∞	∞	0	0	1	0	∞	∞	∞		
NK^*	∞	1	∞	1	0	1	1	1	∞	0	∞		
NX^*	∞	1	∞	1	0	0	1	0	∞	1	∞		
XN^*	1.5	∞	1.5	∞	0	0	1	0	1.5	∞	∞		
XK^*	1.5	1	1.5	1	0	1	1	1	1.5	0	∞		
XX^*	1.5	1	1.5	1	0	0	1	0	1.5	2	∞		
KN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞		
KK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5		
КΧ	1.5	1	1.5	1	0	0	1	0	1	1	∞		
IN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞		
ΙK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5		
IX	1.5	1	1.5	1	0	0	1	0	1	1	∞		



Application to Noise

- Security claimed but not proven yet
 - Authentication + KCI resistance
 - Confidentiality + Forward secrecy
 - + Resistance against replay attacks
 - Resistance against weak randomness

	au ⁱ	au ^r	kc ⁱ	kc ^r	fs ⁱ	fs ^r	rp ⁱ	rp ^r	or ⁱ	or ^r	eck	
N^*	∞	∞	∞	∞	0	∞	∞	∞	∞	0	∞	
Χ*	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞	
К	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞	
NN^*	∞	∞	∞	∞	0	0	1	0	∞	∞	∞	
NK^*	∞	1	∞	1	0	1	1	1	∞	0	∞	
NX^*	∞	1	∞	1	0	0	1	0	∞	1	∞	
XN^*	1.5	∞	1.5	∞	0	0	1	0	1.5	∞	∞	
XK^*	1.5	1	1.5	1	0	1	1	1	1.5	0	∞	
XX^*	1.5	1	1.5	1	0	0	1	0	1.5	2	∞	
KN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞	
KK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5	
KX	1.5	1	1.5	1	0	0	1	0	1	1	∞	
IN	1.5	∞	1.5	∞	0	0	1	0	1	∞	∞	
ΙK	0.5	1	1.5	1	0	1	1	1	0.5	0	0.5	
IX	1.5	1	1.5	1	0	0	1	0	1	1	∞	



$\begin{array}{c} \mathbf{A} \\ g^B \text{ (only in XK:)}(g^A, A) \end{array}$		\mathbf{B} (g^B, B)	I NK XK												
Protocol initialization $h \leftarrow H(Noise_name)$		23													
$c\kappa \leftarrow h, h \leftarrow 0$ $h \leftarrow H(h ad)$ $h \leftarrow H(h g^B)$					au ⁱ	au ^r	kc ⁱ	kc ^r	fs ⁱ	fs ^r	rp ⁱ	rp ^r	or ⁱ	or ^r	eck
$a \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow \mathrm{H}(h g^a)$		33		N^*	∞	∞	∞	∞	0	∞	∞	∞	∞	0	∞
$(c\kappa, \kappa_0) \leftarrow \text{KDF}(c\kappa, g^{-1})$ $c_0 \leftarrow_{\$} \text{Enc}(k_0, n, h, m_0)$ $h \leftarrow \text{H}(h c_0)$				Χ*	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞
	$\xrightarrow{g^a, c_0}$	End of N-Handshake $h \leftarrow \mathbb{Z}_{p}$: $h \leftarrow H(h \parallel a^{b})$		К	0.5	∞	∞	∞	0	∞	∞	∞	0.5	0	∞
"		$(ck, k_1) \leftarrow \text{KDF}(ck, g^{ab})$ $c_1 \leftarrow \text{sEnc}(k_1, n, h, m_1)$		NN^*	∞	∞	∞	∞	0	0	1	0	∞	∞	∞
End of NK-Handshake	g^b, c_1	$h \leftarrow \mathrm{H}(h \mid\mid c_1)$		NK^*	∞	1	∞	1	0	1	1	1	∞	0	∞
$c_2 \leftarrow_{\$} \operatorname{Enc}(k_1, n, h, g^A) h \leftarrow \operatorname{H}(h \mid\mid c_2)$	、			NX^*	∞	1	∞	1	0	0	1	0	∞	1	∞
$(ck, k_2) \leftarrow \text{KDF}(ck, g^{Ab})$ $c_3 \leftarrow \qquad $		_"_		XN^*	1.5	∞	1.5	∞	0	0	1	0	1.5	∞	∞
$n \leftarrow \Pi(n \mid\mid c_3)$	$\xrightarrow{c_2, c_3}$	End of XK-Handshake Channel initialization $(k_r, k_s) \leftarrow \text{KDF}(ck, \epsilon, 2)$ $n_s \leftarrow 0; n_r \leftarrow 0$		XK^*	1.5	1	1.5	1	0	1	1	1	1.5	0	∞
$(k_s, k_r) \leftarrow \text{KDF}(ck, \epsilon, 2)$ $n_s \leftarrow 0; n_r \leftarrow 0$				XX^*	1.5	1	1.5	1	0	0	1	0	1.5	2	∞
Start of Channel $C_0 \leftarrow_{\$} \operatorname{Enc}(k_s, n_s, h, M_0)$ $n_s + +$	$\xrightarrow{C_0}$	Start of Channel _"–													



$\begin{array}{c} \mathbf{A} \\ g^B \text{ (only in XK:)}(g^A, A) \end{array}$		\mathbf{B} (g^B, B)	N NK	XK												
Protocol initialization $h \leftarrow H(Noise_name)$ $ck \leftarrow h; n \leftarrow 0$ $h \leftarrow H(h ad)$ $h \leftarrow H(h a^B)$		_"_				au ⁱ	au ^r	kc ⁱ	kc ^r	fs ⁱ	fs ^r	rp ⁱ	rp ^r	or ⁱ	orr	eck
$a \leftarrow_{\$} \mathbb{Z}_{p}; h \leftarrow H(h g^{a})$ (ck, k ₀) $\leftarrow KDF(ck, g^{aB})$ c ₀ $\leftarrow_{\$} Enc(k_{0}, n, h, m_{0})$ h $\leftarrow H(h c_{0})$		-"- End of N-Handshake $b \leftarrow_{\$} \mathbb{Z}_p; h \leftarrow H(h g^b)$ $(ck, k_1) \leftarrow KDF(ck, g^{ab})$			Ν* Χ*	∞ 0.5	∞ ∞	∞ ∞	∞ ∞	0 0	∞ ∞	∞	∞ ∞	∞ 0.5	0 0	∞ ∞
"	$g^a, c_0 \longrightarrow$				K NN*	0.5 ∞	∞ ∞	00 00	00 00	0	∞ 0	∞ 1	∞ 0	0.5 ∞	0 ∞	∞ ∞
End of NK-Handshake	g^b, c_1	$h \leftarrow H(h c_1)$			NK^*	∞	1	∞	1	0	1	1	1	∞	0	∞
$c_{2} \leftarrow_{\$} \operatorname{Enc}(k_{1}, n, h, g^{A})$ $h \leftarrow \operatorname{H}(h \mid\mid c_{2})$	(NX^*	00	1	00	1	0	0	1	0	∞	1	∞
$(ck, k_2) \leftarrow \text{KDF}(ck, g^{Ab})$ $c_3 \leftarrow \text{Enc}(k_2, n, h, m_0)$ $h \leftarrow H(h \parallel c_2)$		_"_			XN^*	1.5	∞	1.5	∞	0	0	1	0	1.5	∞	∞
$n \leftarrow \Pi(n t_3)$	c_2, c_3 c_0	End of XK-Handshake Channel initialization $(k_r, k_s) \leftarrow \text{KDF}(ck, \epsilon, 2)$ $n_s \leftarrow 0; n_r \leftarrow 0$ Start of Channel			XK^*	1.5	1	1.5	1	0	1	1	1	1.5	0	∞
$(k_s, k_r) \leftarrow \text{KDF}(ck, \epsilon, 2)$ $n_s \leftarrow 0; n_r \leftarrow 0$ Start of Channel $C_0 \leftarrow_{\$} \text{Enc}(k_s, n_s, h, M_0)$ $n_s + +$					XX^*	1.5	1	1.5	1	0	0	1	0	1.5	2	00





- Generalization of ACCE
- Modularization of ACCE (as MS-KE modularizes BR93)
- Computational security proofs for Noise


KE + Channel = ? Generalization of ACCE Modularization of ACCE Application to Noise



- Generalization of ACCE
- Modularization of ACCE (as MS-KE modularizes BR93)
- Computational security proofs for Noise
- Further extensions regarding
 - Intra-epoch properties
 - Channel properties



KE + Channel = ? Generalization of ACCE Modularization of ACCE Application to Noise



- Generalization of ACCE
- Modularization of ACCE (as MS-KE modularizes BR93)
- Computational security proofs for Noise
- Further extensions regarding
 - Intra-epoch properties
 - Channel properties
- Further properties of Noise
 - Negotiation
 - Identity hiding



KE + Channel = ? Generalization of ACCE Modularization of ACCE Application to Noise



- Generalization of ACCE
- Modularization of ACCE (as MS-KE modularizes BR93)
- Computational security proofs for Noise
- Further extensions regarding
 - Intra-epoch properties
 - Channel properties
- Further properties of Noise
 - Negotiation
 - Identity hiding

• Discussions

- What means sessions are independent in protocols of *long* duration?
- Is ACCE as *bad* as it is advertised?
- What can MS-KE learn from our model?
- Can abstract (MS-)KE with channel in which key is used to a higher level?